

◎指示があるまで開かないこと

令和8年度 久留米大学大学院医学研究科

修士課程 前期入学試験問題兼解答用紙

英 語

(総合生命科学・バイオ統計学専攻 バイオ統計学群)

試 験 日：令和7年8月19日（火）

試験時間：10：30～12：00

※問題兼解答用紙に直接解答を記入してください。

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受験番号

【 全 2 - 1 】

(採点)

1. Suppose that the maximum value of function $f(x) = -2x^2 + 8x + k$ ($1 \leq x \leq 5$) is 4.
 - (a) Find the value of the constant k .
 - (b) Find the minimum value of the function $f(x)$.
 - (c) Calculate the area bounded by the parabola $y = f(x)$ and the line $y = 2$.

2. Two players A and B, will play a tennis match. The one who wins 3 sets first will be the winner of the match. Assuming that the probability of A winning a set over B is $2/3$, find the probability for each of the following events.
 - (a) A wins the match in the 3rd set.
 - (b) A wins the match in the 4th set.
 - (c) A wins.

【 全 2 - 2 】

(採点)

3. In a math class, the exam results show an average score of 42 points and a variance of 18.
- (a) If 30 points are added to each student's score, what will be the new average score and variance for the class?
- (b) If each student's score is doubled, what will be the new average score and variance for the class?
- (c) If we subtract the class average (42) from each student's score and then divide the result by the square root of the variance ($\sqrt{18}$), what will be the new average score and variance?
- [Note] Assuming the students' scores are $x_1, \dots, x_n$, then the variance is defined as $\frac{1}{n} \sum_{i=1}^n (x_i - \bar{x})^2$ where $\bar{x} = \frac{1}{n} \sum_{i=1}^n x_i$ is the average score.

4. Solve the following problems.

(a) Find the value.

$$\sqrt[3]{3} \times \sqrt[3]{243}$$

(b) Find the value.

$$(\log_3 125 + \log_9 5)(\log_{25} 3 + \log_5 9)$$

(c) Solve the following equation.

$$2 + \log_5 x = (\log_5 x)^2$$